

Effect of Eddy-Wind Interaction on Ekman pumping and Eddy Kinetic Energy in the California Current System:  
A Regional Coupled Modeling Study

Hyodae Seo

Woods Hole Oceanographic Institution  
Currently visiting Kyushu University

Art Miller & Joel Norris

Scripps Institution of Oceanography

OFES International Workshop  
Aizu University, Oct. 2-3, 2014



## Surface wind stress

$$\tau = \rho C_D (U_a - U_o) |U_a - U_o|$$

resulting wind stress

$$\tau \approx \tau_b + \tau_{SST} + \tau_{ob} + \tau_{oe}$$

ocean surface current

$$U_o = U_{ob} + U_{oe}$$

10m wind speed

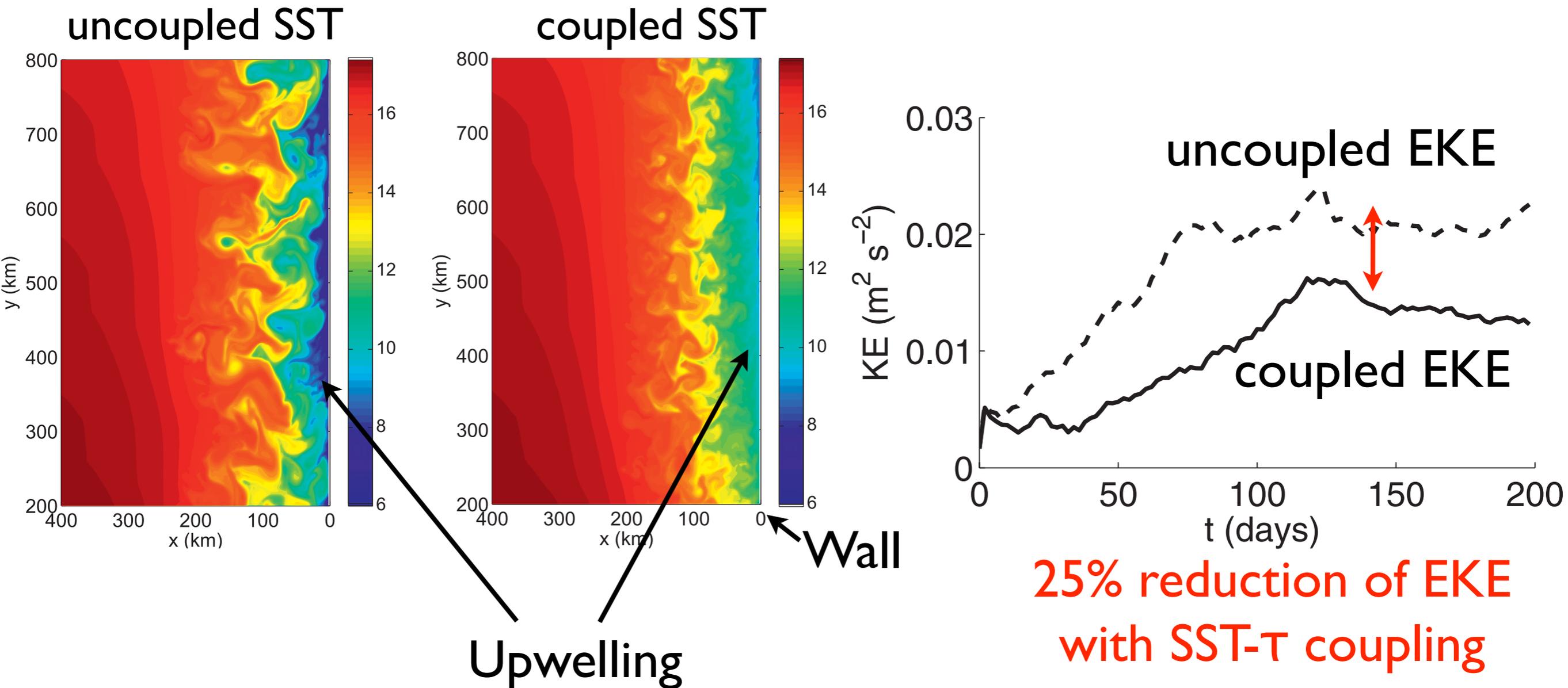
$$U_a = U_{ab} + U_{aSST}$$

(Chelton et al. 2001)

Effects of  $\tau_{SST}$  and  $\tau_{CUR}$  on the ocean?

# SST- $\tau$ coupling effect: *Jin et al. (2009)*

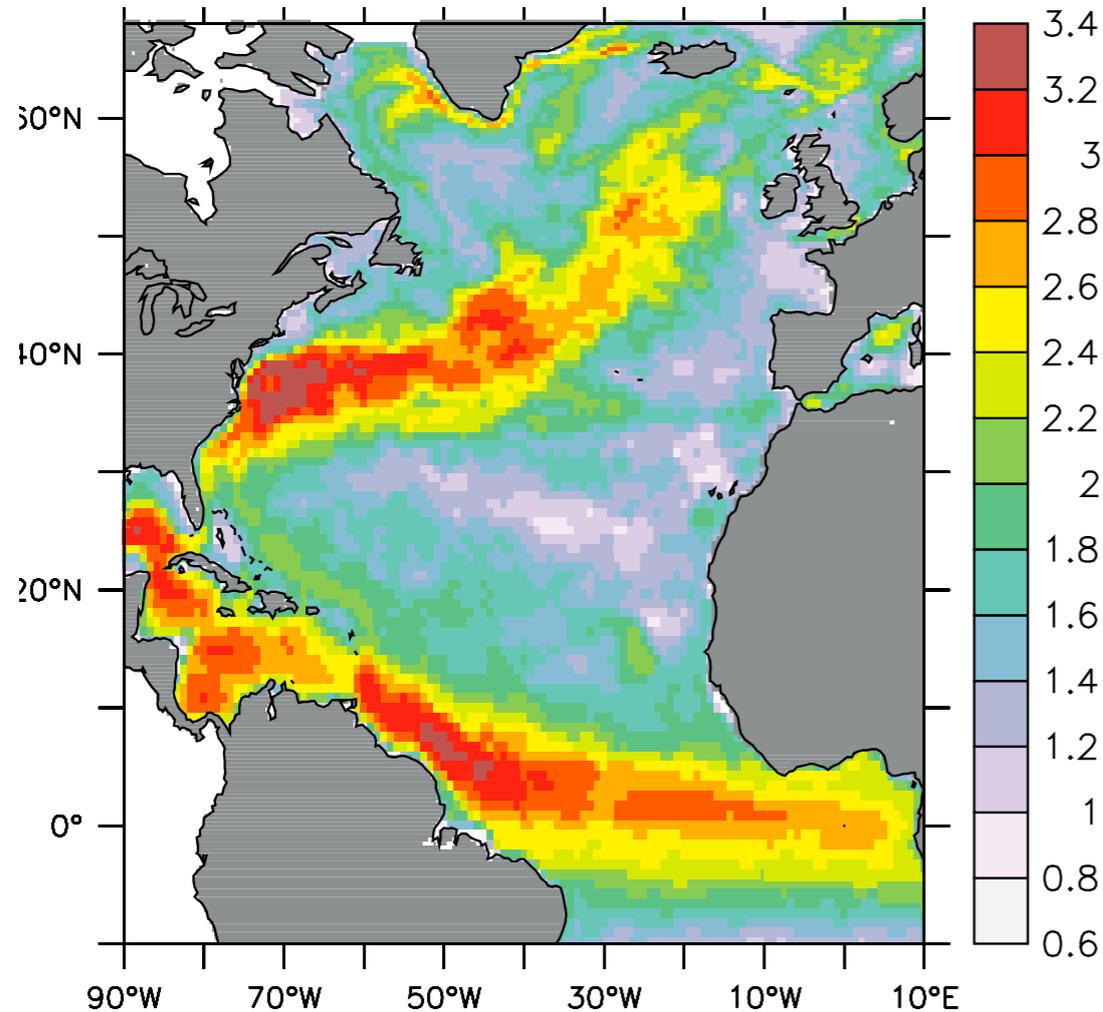
an idealized ocean model with empirical coupling of SST and  $\tau$



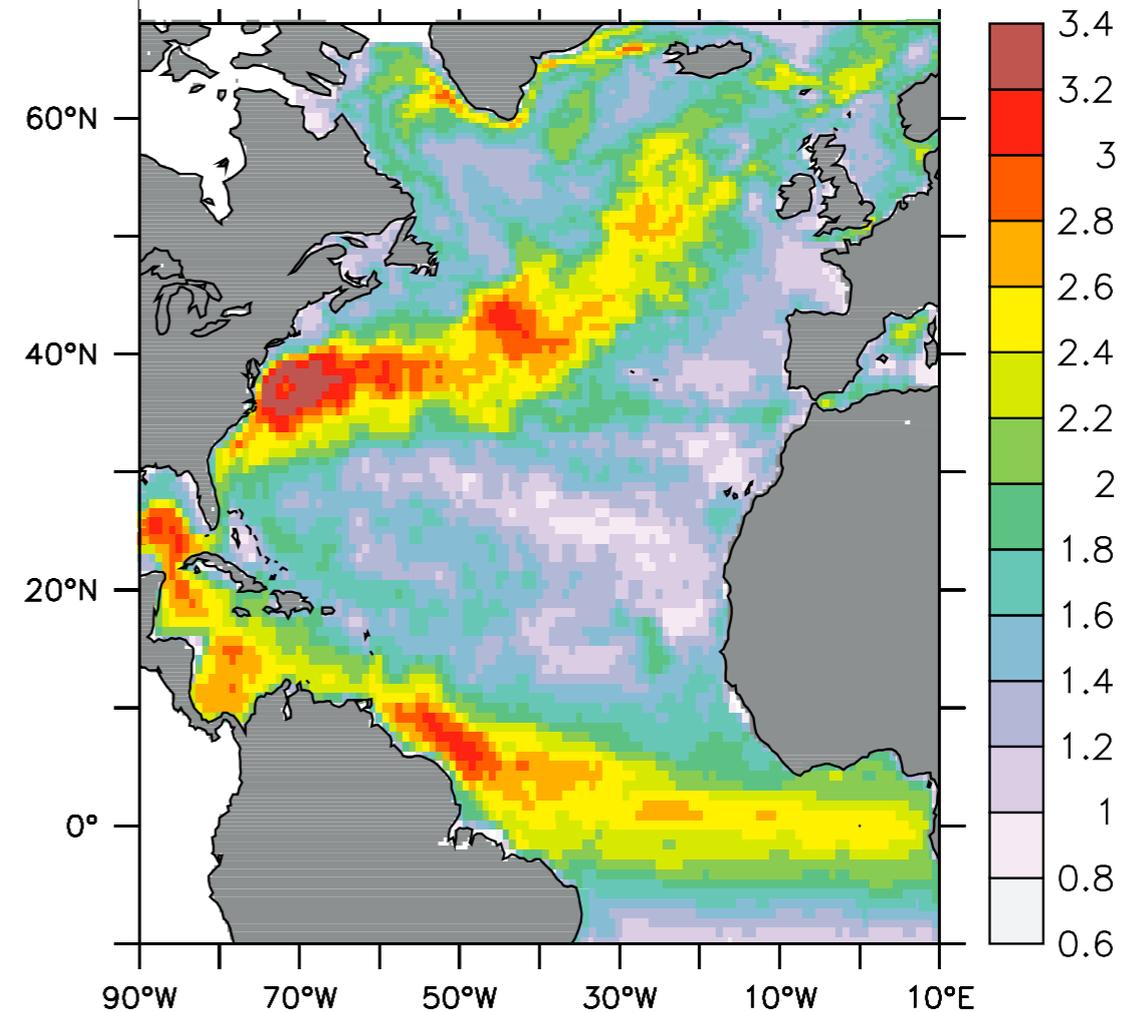
- Reduces alongshore wind stress, baroclinic instability and Ekman transport

**U<sub>o</sub>-T coupling effect: *Eden and Dietze (2009)*  
an OGCM with inclusion of  $u_{sfc}$  in  $\tau$**

**uncoupled EKE**



**coupled EKE**

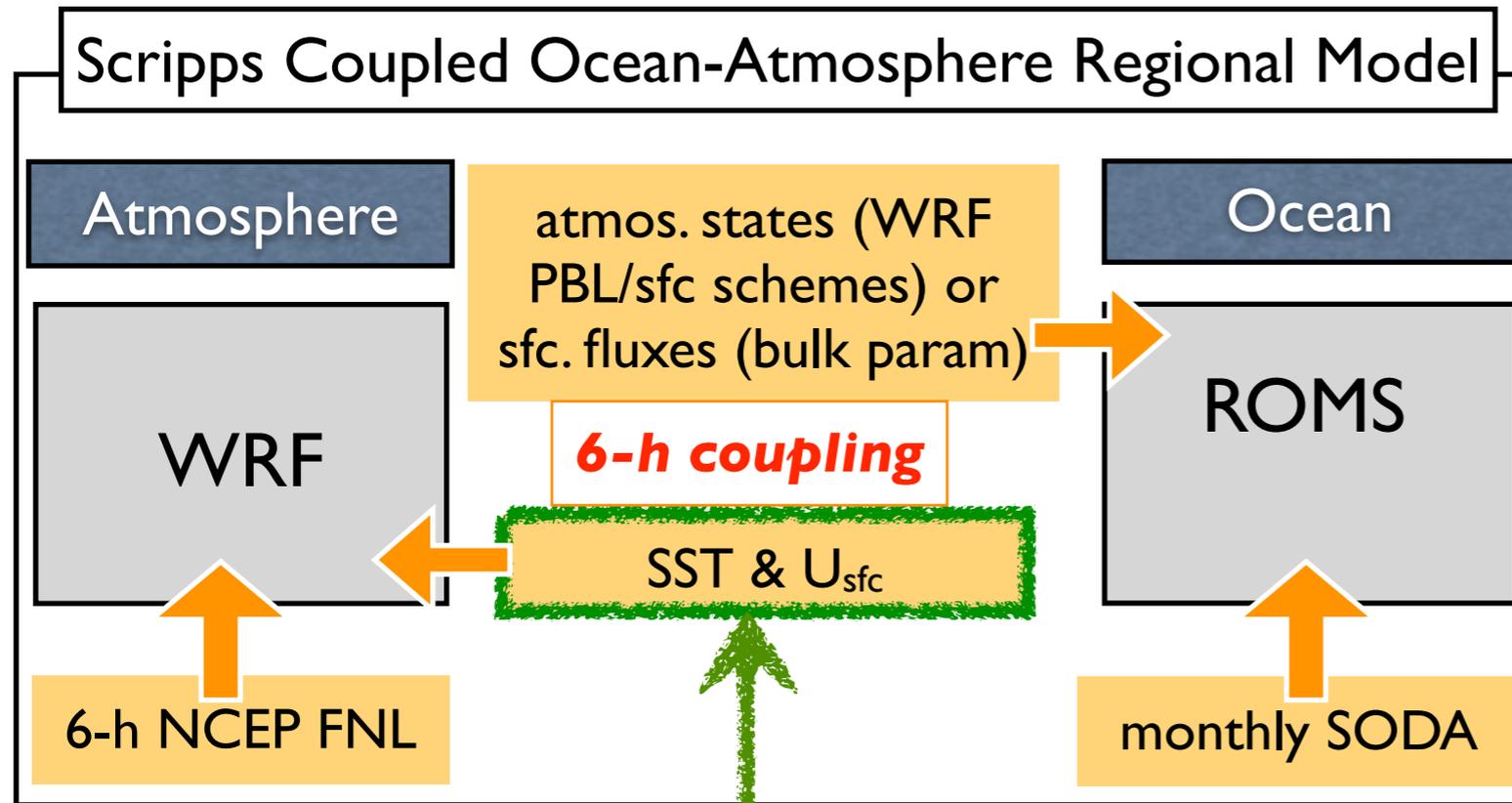


- 10% reduction in EKE in the mid-latitude and ~50% in the tropics
- Primarily due to increased eddy drag ( $\tau' \cdot u'$ , direct effect)
- Change in baroclinic and barotropic instability (indirect effect) of secondary importance

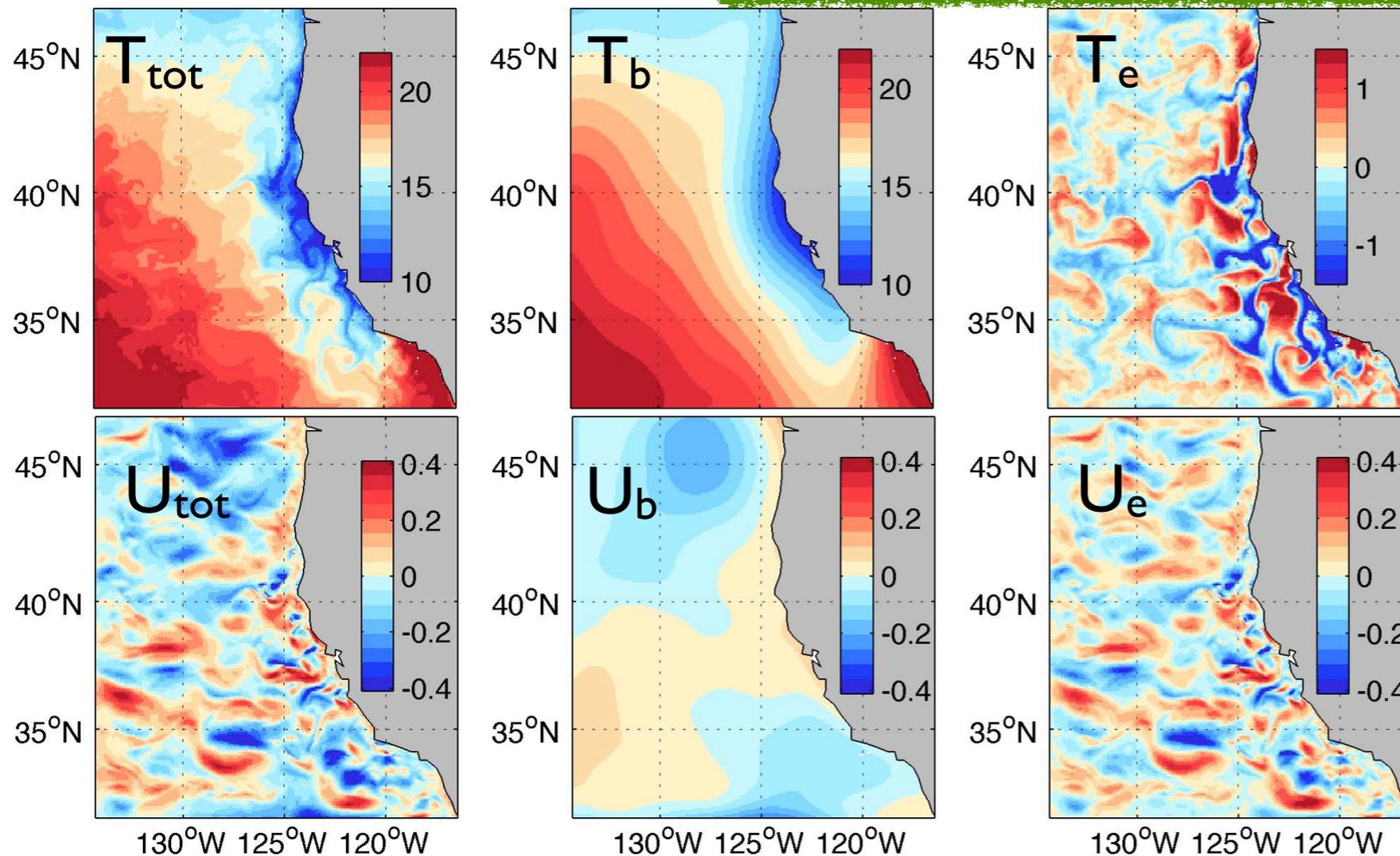
## Result from previous studies and goal of this study

- Previous studies considered either SST or  $u_{sfc}$  in  $\tau$  formulation in ocean-only models and saw weakened eddy variability.
- This study examines the relative importance of SST and  $u_{sfc}$  ( $u_{ob}$  vs  $u_{oe}$ ) in a fully coupled model, where wind speed adjusts to SST.

# Regional coupled model



- Seo et al. 2014 (WRF-ROMS)
- An input-output based coupler; portable, flexible, expandable
- 7 km O-A resolutions & matching mask
- 6-yr integration (2005-2010)



Smoothing of mesoscale SST and sfc current (Putrasahan et al. 2013)

# Experiments

$$\tau = \rho C_D (U_a - U_o) |U_a - U_o|$$

$$T_{\text{tot}} = T_b + T_e$$

$$U_{\text{tot}} = U_b + U_e \quad 5^\circ \text{ loess filtering } (\approx 3^\circ \text{ boxcar smoothing})$$

Experiments	τ formulation includes			
CTL	$T_b$	$T_e$	$U_b$	$U_e$
no $T_e$	$T_b$	$T_e$	$U_b$	$U_e$
no $U_e$	$T_b$	$T_e$	$U_b$	$U_e$
no $T_e U_e$	$T_b$	$T_e$	$U_b$	$U_e$
no $U_{\text{tot}}$	$T_b$	$T_e$	$U_b$	$U_e$

# Experiments

$$\tau = \rho C_D (U_a - U_o) |U_a - U_o|$$

$$T_{\text{tot}} = T_b + T_e$$

$$U_{\text{tot}} = U_b + U_e \quad 5^\circ \text{ loess filtering } (\approx 3^\circ \text{ boxcar smoothing})$$

Experiments	$\tau$ formulation includes			
CTL	$T_b$	$T_e$	$U_b$	$U_e$
no $T_e$	$T_b$	$T_e$	$U_b$	$U_e$
no $U_e$	$T_b$	$T_e$	$U_b$	$U_e$
no $T_e U_e$	$T_b$	$T_e$	$U_b$	$U_e$
no $U_{\text{tot}}$	$T_b$	$T_e$	$U_b$	$U_e$

effect of mesoscale surface temperature ( $T_e$ )

# Experiments

$$\tau = \rho C_D (U_a - U_o) |U_a - U_o|$$

$$T_{\text{tot}} = T_b + T_e$$

$$U_{\text{tot}} = U_b + U_e \quad 5^\circ \text{ loess filtering } (\approx 3^\circ \text{ boxcar smoothing})$$

Experiments	$\tau$ formulation includes			
CTL	$T_b$	$T_e$	$U_b$	$U_e$
no $T_e$	$T_b$	$T_e$	$U_b$	$U_e$
no $U_e$	$T_b$	$T_e$	$U_b$	$U_e$
no $T_e U_e$	$T_b$	$T_e$	$U_b$	$U_e$
no $U_{\text{tot}}$	$T_b$	$T_e$	$U_b$	$U_e$

effect of mesoscale surface current ( $U_e$ )

# Experiments

$$\tau = \rho C_D (U_a - U_o) |U_a - U_o|$$

$$T_{\text{tot}} = T_b + T_e$$

$$U_{\text{tot}} = U_b + U_e \quad 5^\circ \text{ loess filtering } (\approx 3^\circ \text{ boxcar smoothing})$$

Experiments	$\tau$ formulation includes			
CTL	$T_b$	$T_e$	$U_b$	$U_e$
no $T_e$	$T_b$	$T_e$	$U_b$	$U_e$
no $U_e$	$T_b$	$T_e$	$U_b$	$U_e$
no $T_e U_e$	$T_b$	$T_e$	$U_b$	$U_e$
no $U_{\text{tot}}$	$T_b$	$T_e$	$U_b$	$U_e$

effect of mesoscale surface temperature ( $T_e$ ) and current ( $U_e$ )

# Experiments

$$\tau = \rho C_D (U_a - U_o) |U_a - U_o|$$

$$T_{\text{tot}} = T_b + T_e$$

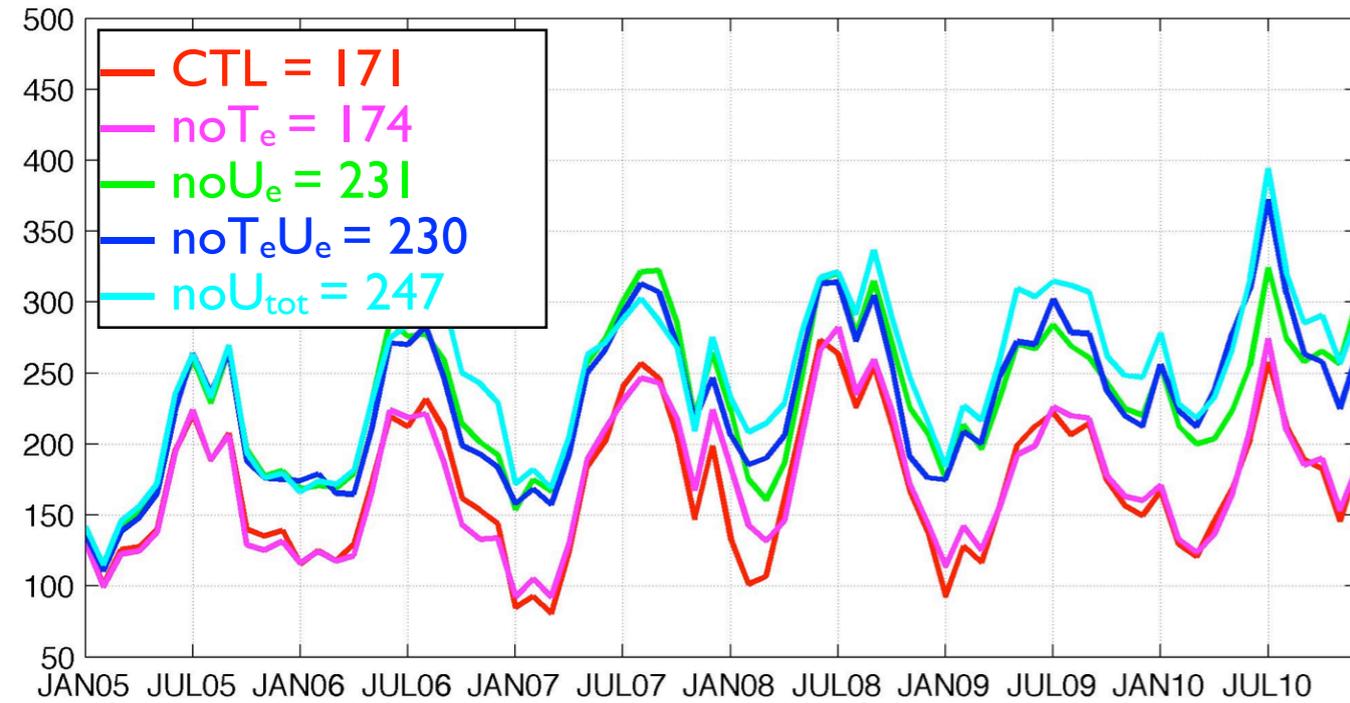
$$U_{\text{tot}} = U_b + U_e \quad 5^\circ \text{ loess filtering } (\approx 3^\circ \text{ boxcar smoothing})$$

Experiments	$\tau$ formulation includes			
CTL	$T_b$	$T_e$	$U_b$	$U_e$
no $T_e$	$T_b$	$T_e$	$U_b$	$U_e$
no $U_e$	$T_b$	$T_e$	$U_b$	$U_e$
no $T_e U_e$	$T_b$	$T_e$	$U_b$	$U_e$
no $U_{\text{tot}}$	$T_b$	$T_e$	$U_b$	$U_e$

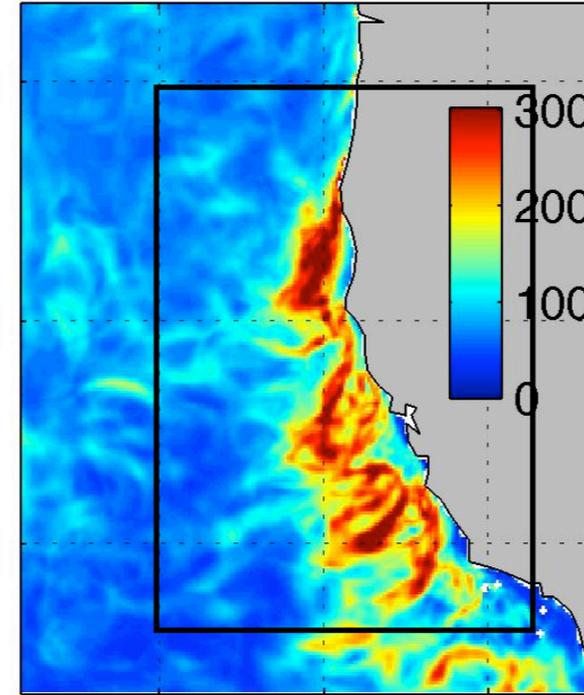
effect of total surface current ( $U_{\text{tot}} = U_b + U_e$ )

# Summer surface eddy kinetic energy

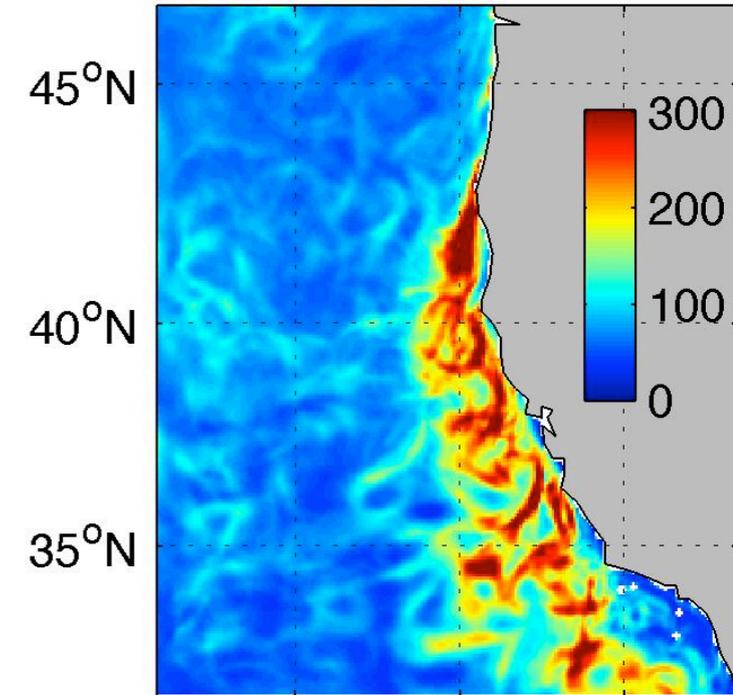
## EKE time-series



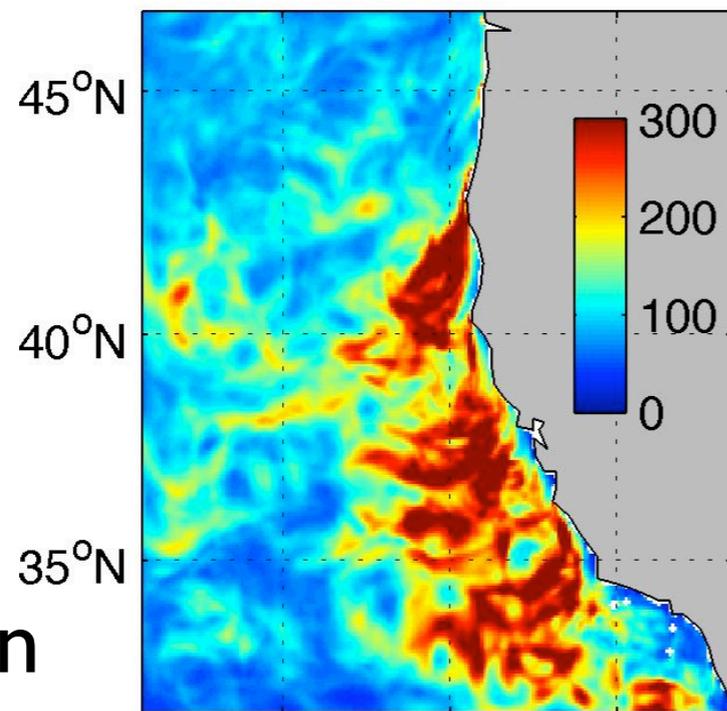
## CTL



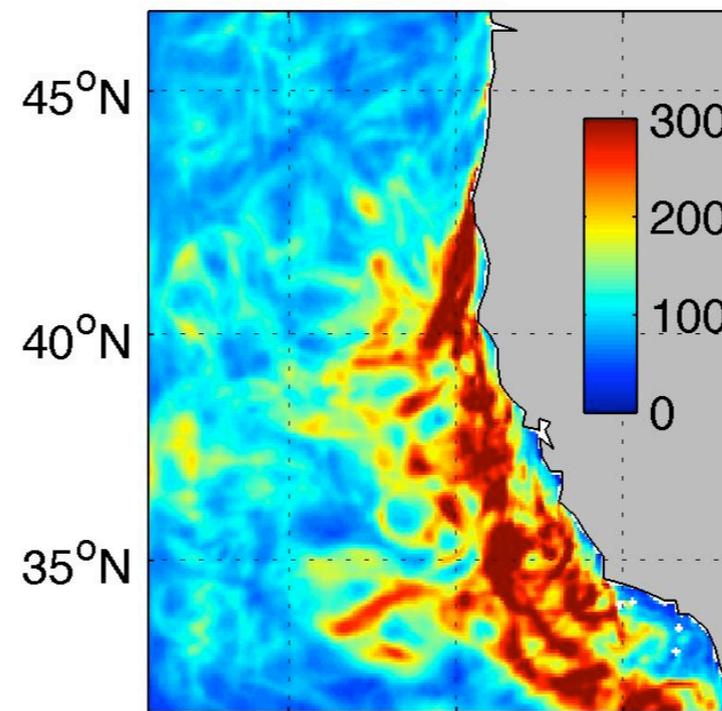
## no $T_e$



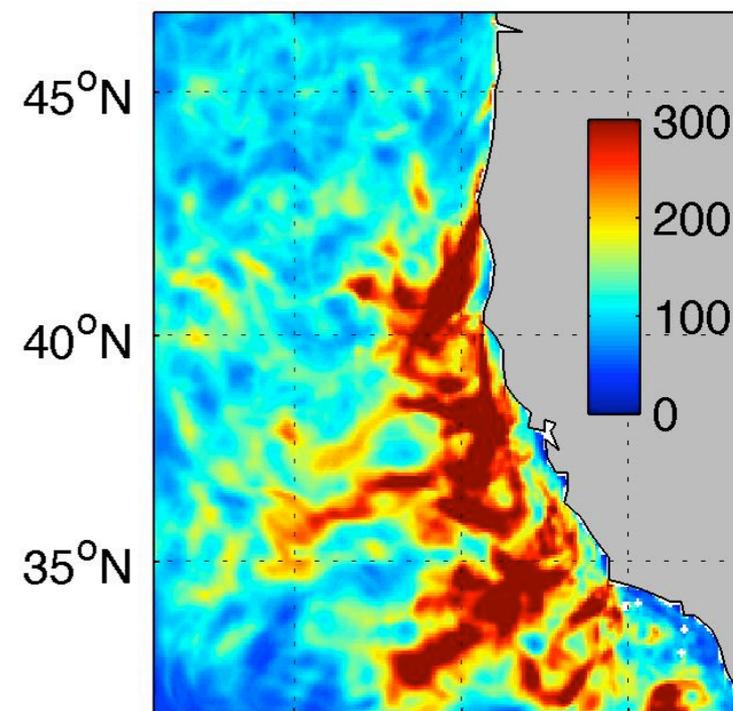
## no $U_e$



## no $T_eU_e$



## no $U_{tot}$



## 6-yr mean

130°W 125°W 120°W

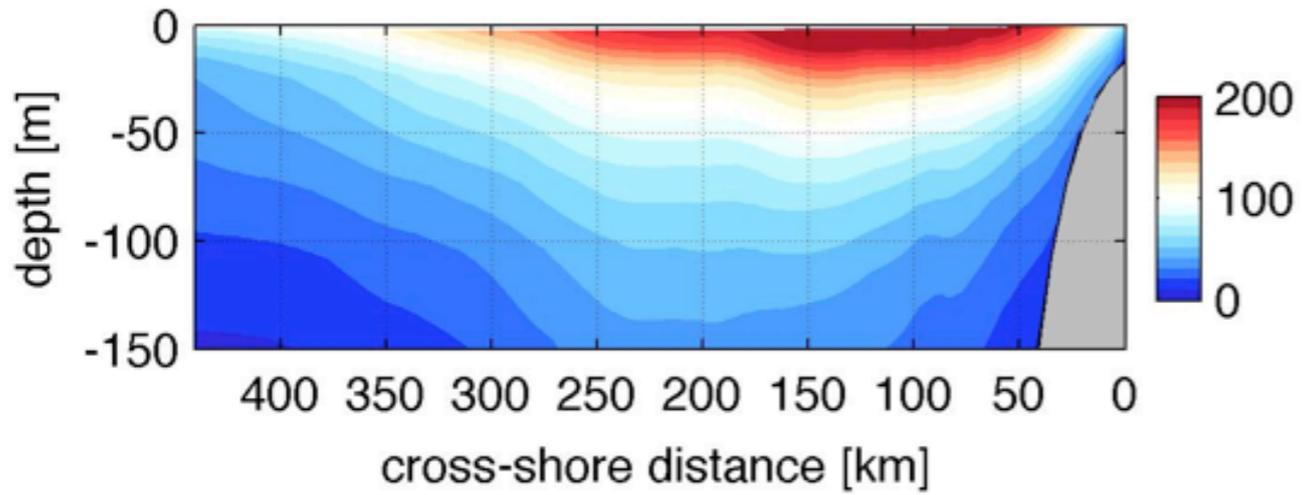
130°W 125°W 120°W

130°W 125°W 120°W

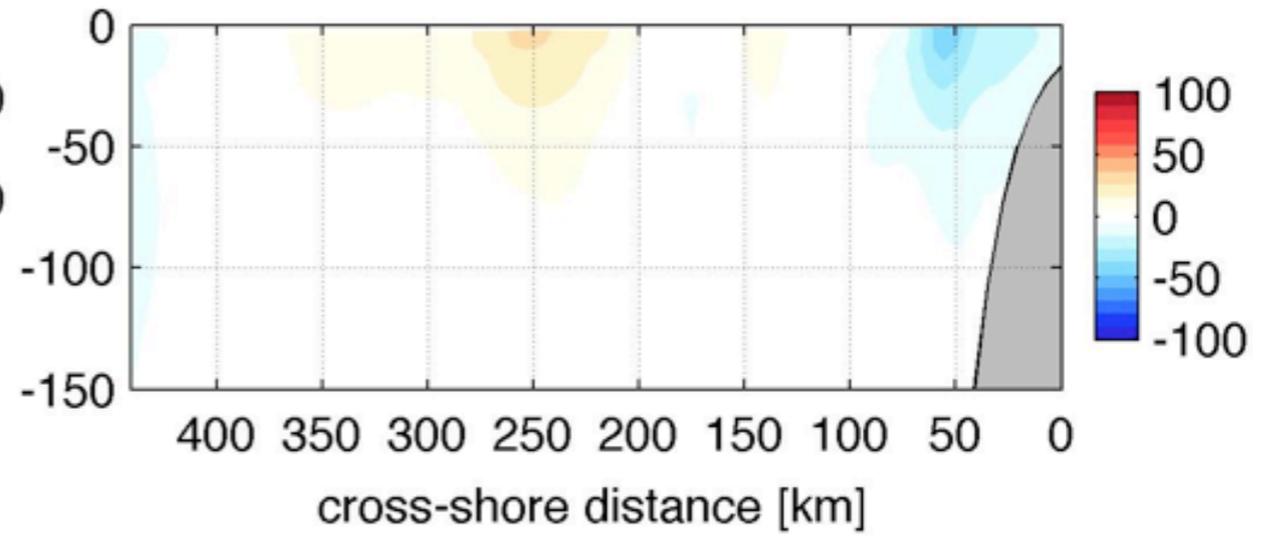
- $T_e$  no impact
- 25% weaker EKE with  $U_e$
- 30% weaker EKE with  $U_b+U_e$

# Cross-shore vs depth EKE

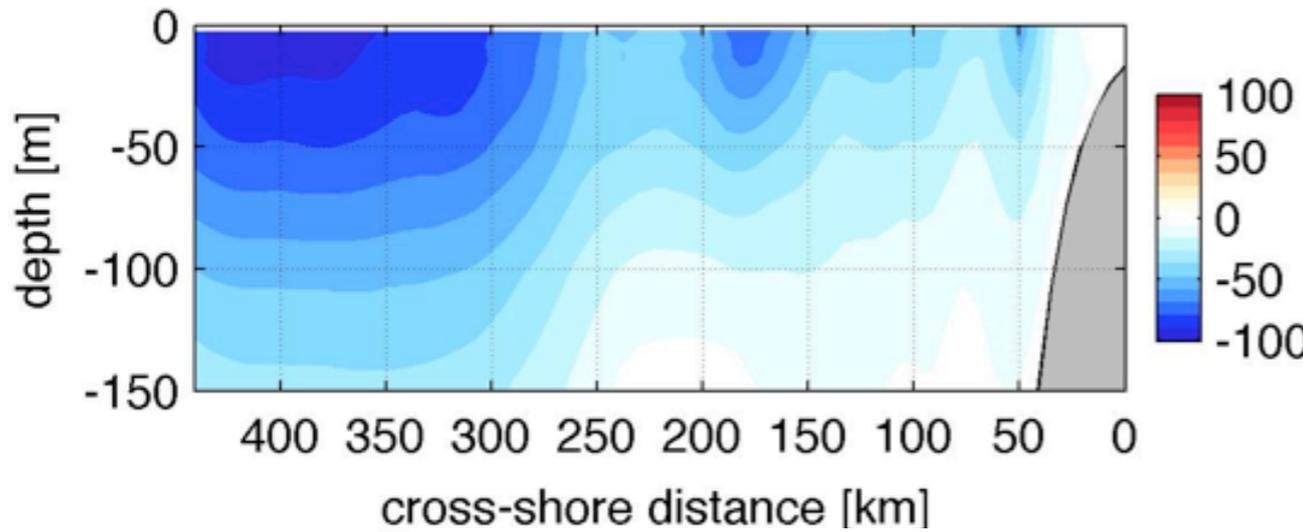
## CTL EKE



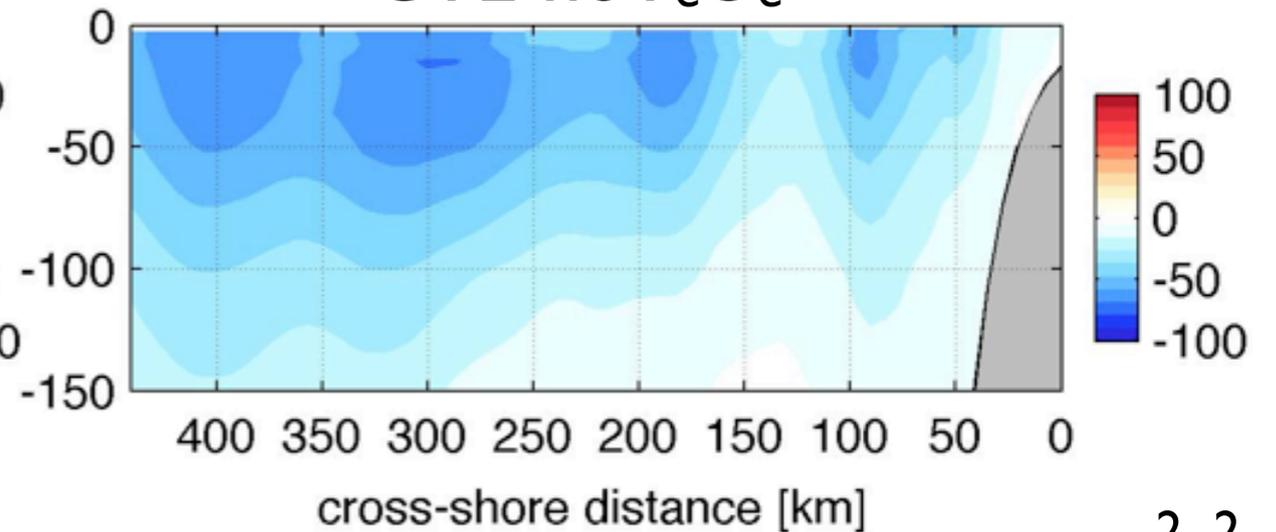
## CTL-noT<sub>e</sub>



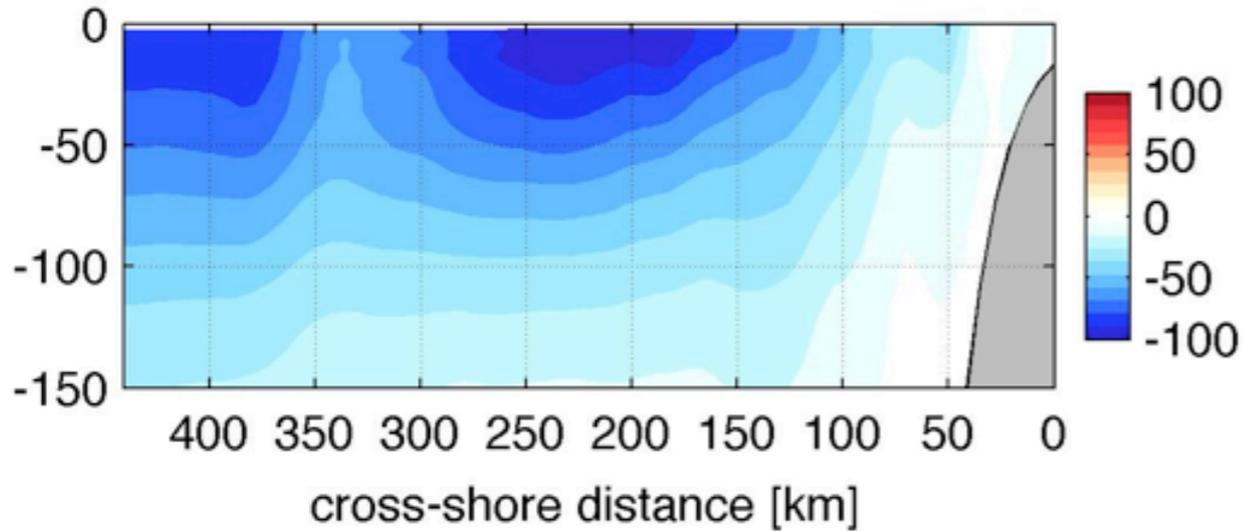
## CTL-noU<sub>e</sub>



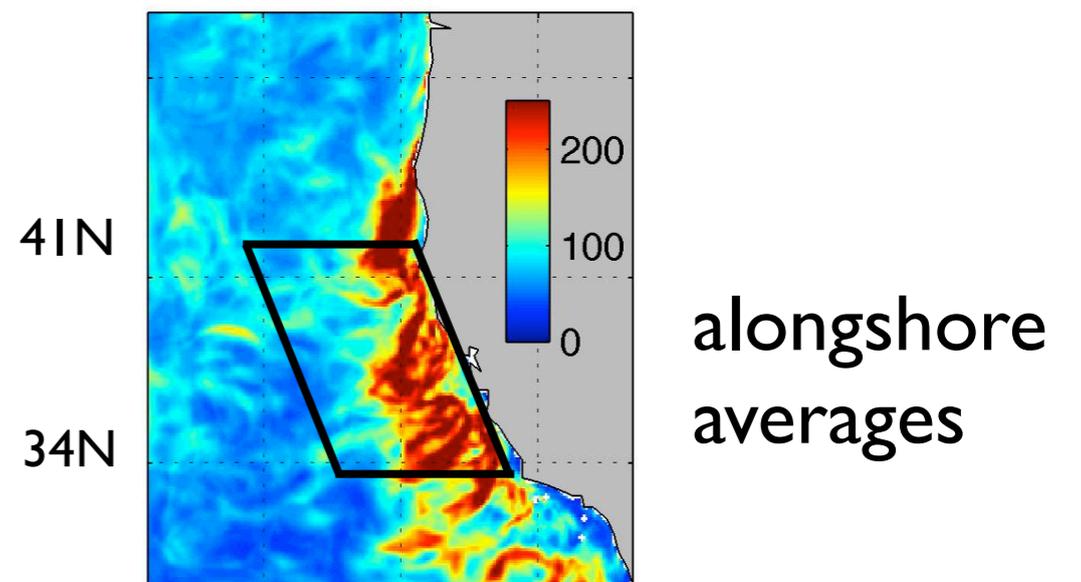
## CTL-noT<sub>e</sub>U<sub>e</sub>



## CTL-noU<sub>tot</sub>



cm<sup>2</sup>s<sup>2</sup>



# Eddy kinetic energy budget

$$\begin{aligned}
 & Ke_t + \vec{U} \cdot \vec{\nabla} \vec{K}e + \vec{u}' \cdot \vec{\nabla} \vec{K}e + \vec{\nabla} \cdot (\vec{u}' p') = \\
 & \underbrace{-g\rho'w'} + \rho_o \left( \underbrace{-\vec{u}' \cdot (\vec{u}' \cdot \vec{\nabla} \vec{U})} \right) + \underbrace{\vec{u}' \cdot \vec{\tau}'} + \varepsilon
 \end{aligned}$$

baroclinic  
conversion  
(BC)

barotropic  
conversion  
(BT)

wind work (P)  
(or eddy drag)

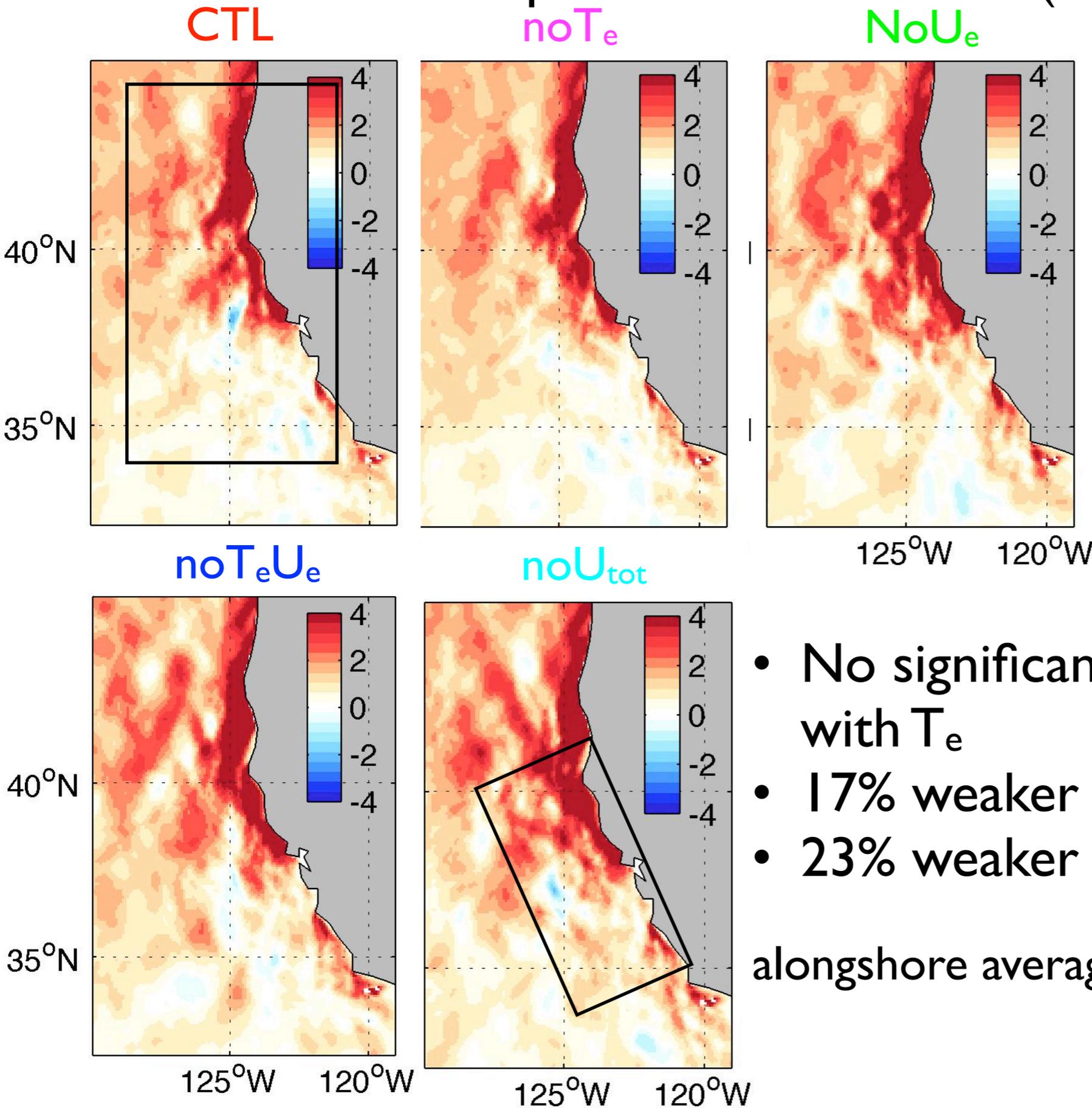
Significant difference in only P



Upper 100 m average

$H \sim fL/N$ , where  $f=10^{-4}$ ,  $L=10^4\text{m}$ ,  $N=10^{-2} \rightarrow H=10^2\text{m}$

# Comparison of wind work ( $P = \tau' \cdot u'$ )



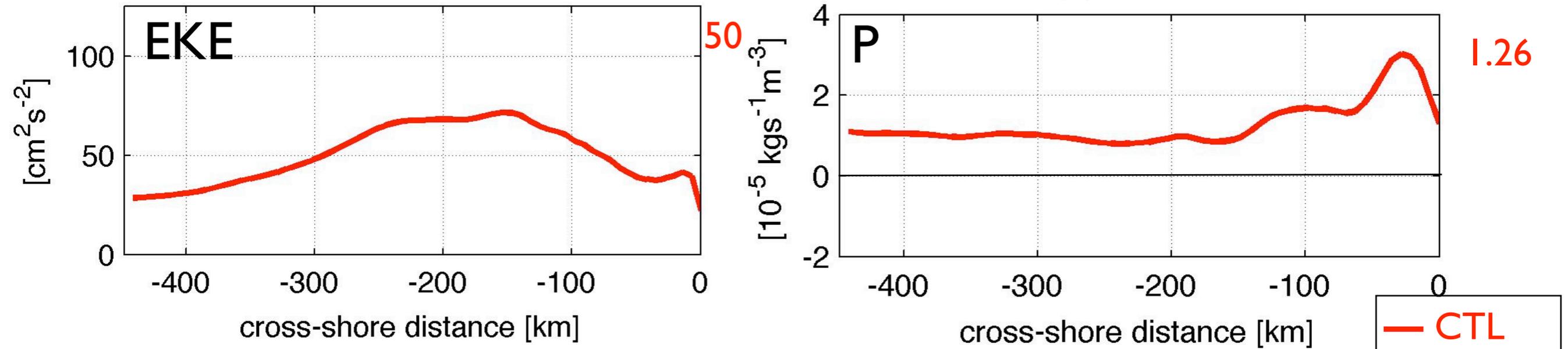
Exp	$\tau' \cdot u'$
CTL	1.33
no $T_e$	1.38
no $U_e$	1.61
no $T_e U_e$	1.62
no $U_{tot}$	1.73

[ $10^{-5} \text{ kgs}^{-1} \text{ m}^{-3}$ ]

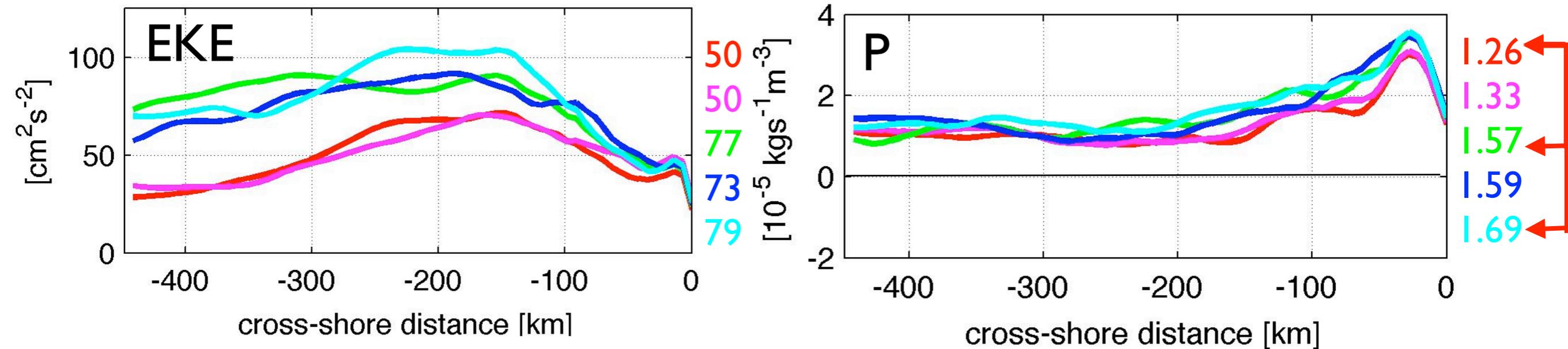
- No significant change associated with  $T_e$
- 17% weaker  $P$  with  $U_e$
- 23% weaker  $P$  with  $U_b + U_e$

alongshore averages

# Cross-shore distribution of EKE and P

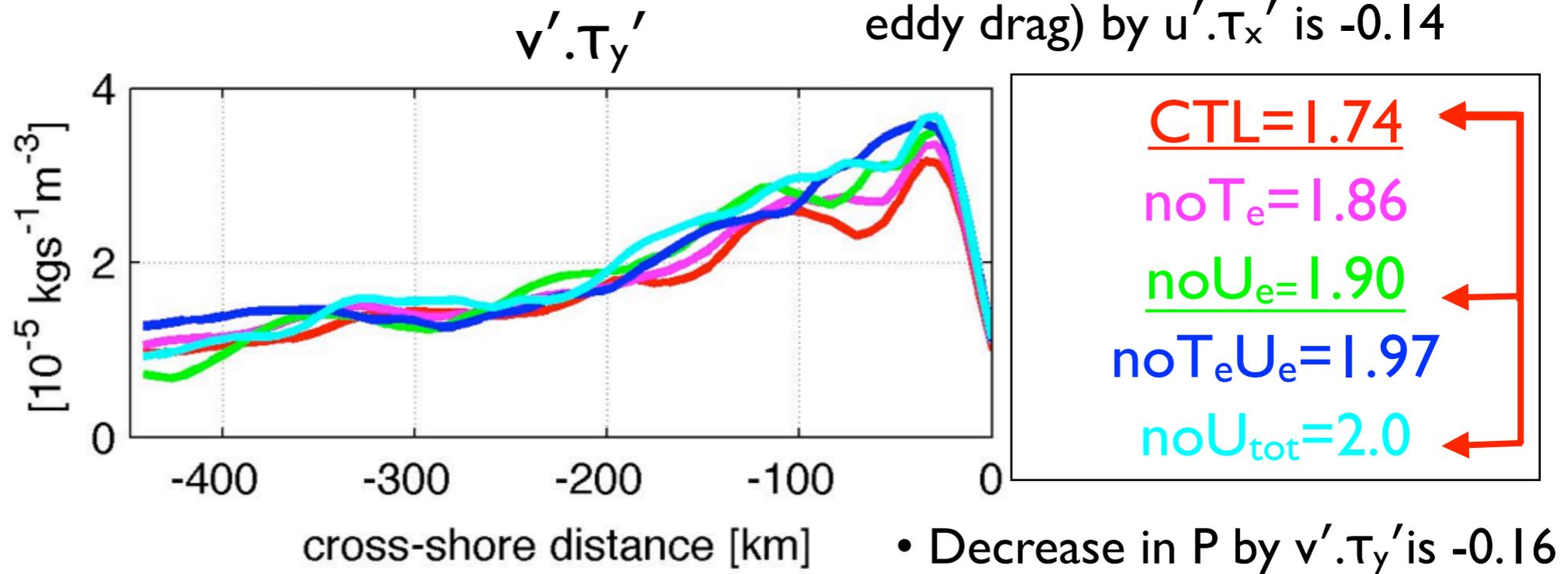
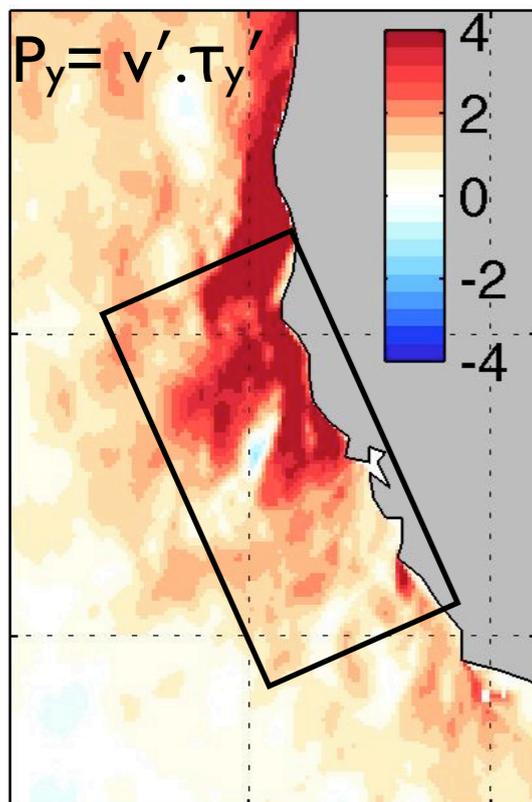
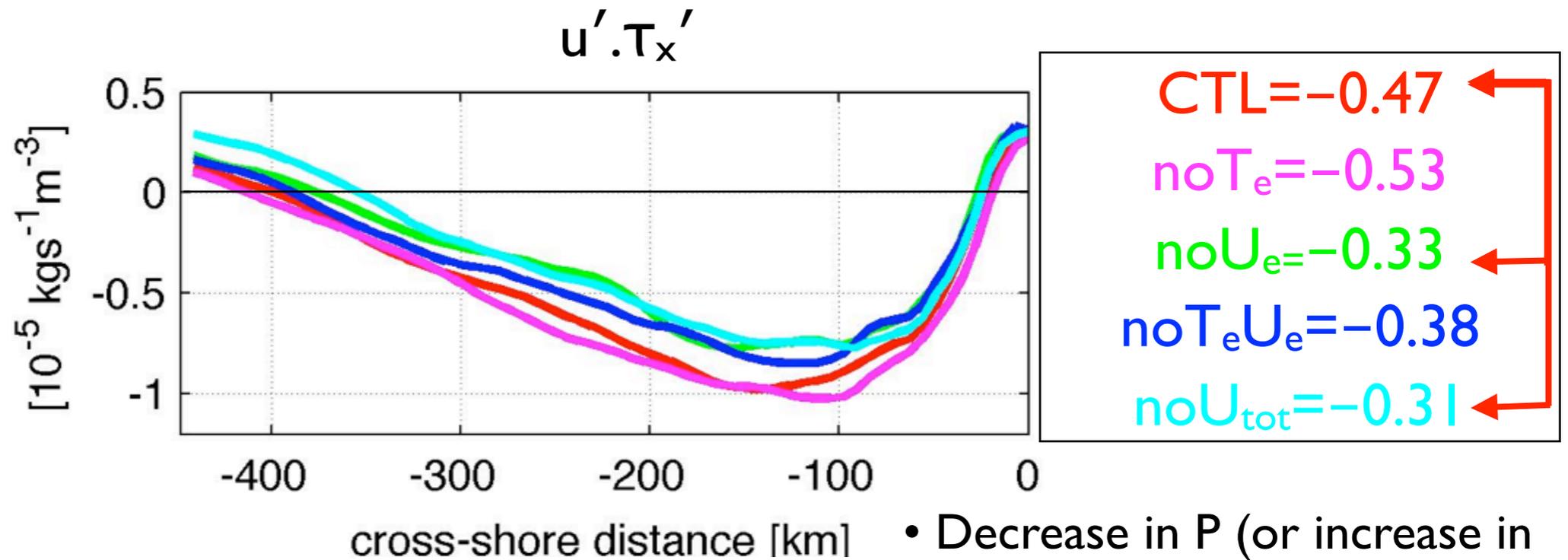
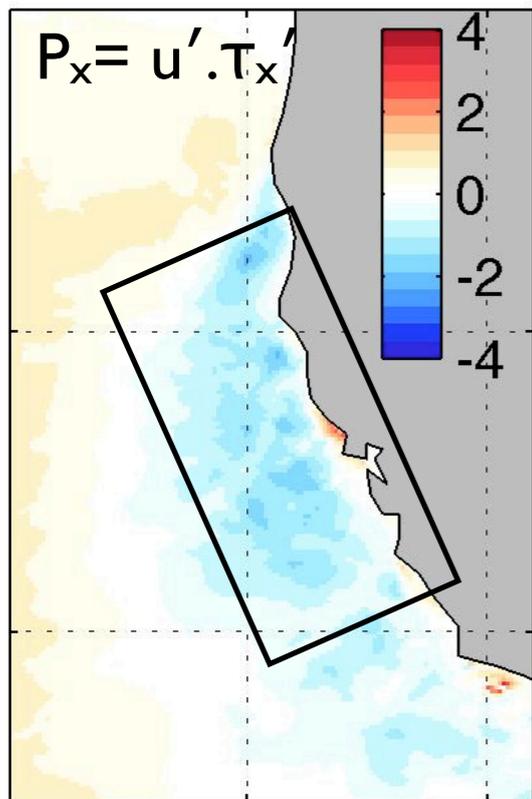


- Positive P ( $u' \cdot \tau'$ ) with the maximum near the coast (20-30 km).
  - $v'$  is a linear response to  $\tau_y'$ , increasing EKE.



- P decreases by 20-25% 100-300 km offshore with U<sub>e</sub>+U<sub>b</sub>

# Zonal and meridional components of wind work



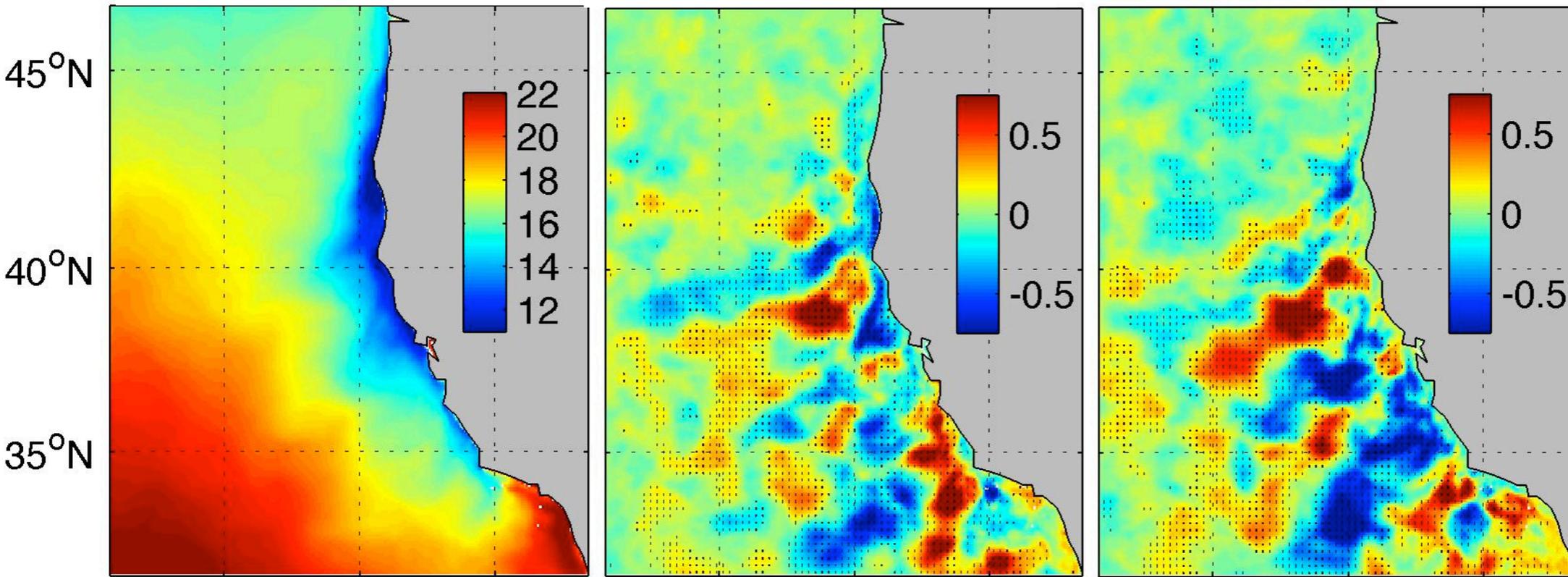
Both directions contribute equally to the decreased P and EKE.

# Change SST and surface current

CTL

CTL-NoT<sub>e</sub>

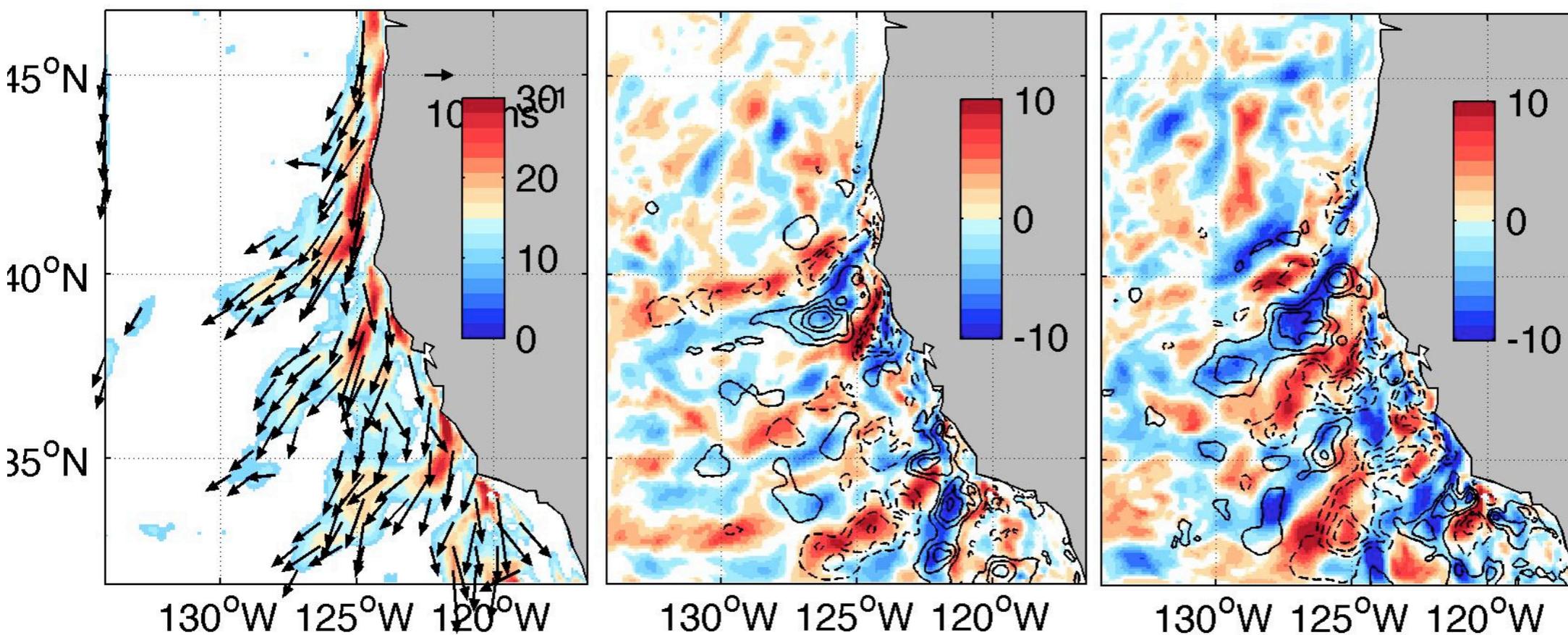
CTL-NoU<sub>e</sub>



CTL

CTL-NoT<sub>e</sub>

CTL-NoU<sub>e</sub>



Change in offshore (onshore) temperature advection by mean current mainly responsible for the cold (warm) SST

# Summary

- Examined the *relative* importance of  $\tau_{SST}$  vs  $\tau_{current}$  in the EKE in the CCS using a fully coupled SCOAR model.
- Surface EKE is weakened by  $\sim 25\%$  due to mesoscale current.
  - $\sim 5\%$  further weakening by background current.
  - SST has no impact.
- EKE budget analysis: wind work ( $P = \tau' \cdot u'$ ) is weakened with the mesoscale current (17%) and background current (23%)
  - SST has no impact.
  - Comparable contribution from zonal (eddy drag) and meridional (wind work) direction.
- Change in SST pattern is related to change in mean and eddy horizontal temperature advection.

**Thanks!**